

# 國立中正大學

## 113 學年度碩士班招生考試

# 試題

### [第 2 節]

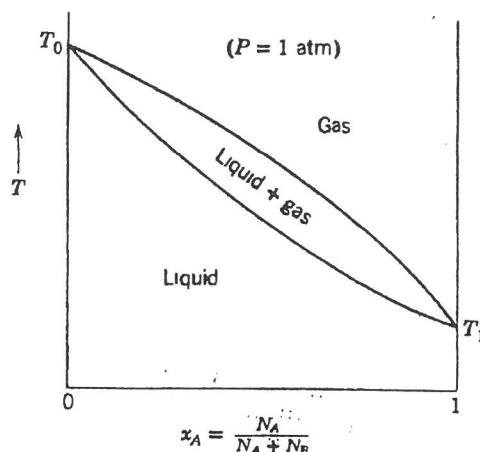
科目名稱	化工熱力學與化工動力學
系所組別	化學工程學系

#### — 作答注意事項 —

※作答前請先核對「試題」、「試卷」與「准考證」之系所組別、科目名稱是否相符。

1. 預備鈴響時即可入場，但至考試開始鈴響前，不得翻閱試題，並不得書寫、畫記、作答。
2. 考試開始鈴響時，即可開始作答；考試結束鈴響畢，應即停止作答。
3. 入場後於考試開始 40 分鐘內不得離場。
4. 全部答題均須在試卷（答案卷）作答區內完成。
5. 試卷作答限用藍色或黑色筆（含鉛筆）書寫。
6. 試題須隨試卷繳還。

- (1) It is found that a certain liquid boils at a temperature of  $90^{\circ}\text{C}$  at the top of a mountain, and boils at a temperature of  $110^{\circ}\text{C}$  at the bottom of the mountain. The latent heat is  $1000\text{cal/mole}$ . What is the approximate height of the hill? (12%)
- (2) The phase diagram of a solution of A in B, at a pressure of 1 atm, is as shown.



The upper bounding curve of the two-phase region can be represented by

$$T = T_0 - (T_0 - T_1) X_A^2$$

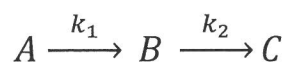
The lower bounding curve can be represented by

$$T = T_0 - (T_0 - T_1) X_A^2 (2 - X_A)$$

A beaker containing equal mole number of A and B is brought to its boiling temperature. What is the composition of the vapor as it first begins to boil? (10%)  
Does boiling tend to increase or decrease the mole fraction of A in the remaining liquid? (4%)

- (3) Ten mole of an idea gas with  $C_p = 36(\text{J/gmole}\cdot\text{K})$  is compressed isobarically but irreversibly at 5bar from 500K to 300K in a piston cylinder device. The work required is 35% greater than the work of reversible, isobaric compression. The heat transferred from the gas during compression flows to a heat reservoir at 300K. Please calculate (24%)
- What is the  $\Delta W$  (under a reversible process);
  - What is the  $\Delta W$  (under an irreversible process);
  - What is the  $\Delta U$  of the gas;
  - What is the  $\Delta S$  of the gas;
  - What is the  $\Delta S$  of the heat reservoir;
  - What is the total  $\Delta S$  of the system

- (4) An elementary irreversible liquid-phase reaction  $2A \rightarrow B$  takes place with 92 % conversion in an isothermal plug flow reactor. If the plug flow reactor is replaced by a CSTR of the same size, what will be the conversion? All the other conditions remain unchanged. (15 %)
- (5) The oxidation of compound A to form compound B is carried out on a catalyst. However, compound B is also oxidized on this catalyst to form compound C. The reactions are irreversible and first order in compounds A and B, respectively. The reaction is carried out in a three-fold excess of oxygen and in dilute concentrations (ca. 0.1 % compound A, 1% O<sub>2</sub>, and 98.9% N<sub>2</sub>). The volume change with the reaction can be neglected. Please determine the concentration of compound B as a function of space-time. (20%)



- (6) For the elementary and gas-phase reaction,  $A + B \rightarrow C + D$ , being carried out isothermally in a packed bed reactor (PBR), reactants A and B are fed in equal molar with the total molar rate of 10 mole·min<sup>-1</sup>. The initial pressure is 12 atm, the temperature is 423 K, and the pressure drop parameter is 0.01 g<sup>-1</sup>. Please determine the catalyst weight to achieve 85% conversion. (15 %)

Additional information:

- (i) The pressure inside PBR should be kept above 1 atm.  
(ii) Specific reaction rate at 423 K,  $k = 50 \text{ liter}^2 \cdot (\text{mole} \cdot \text{g catalyst} \cdot \text{min})^{-1}$ .  
(iii) Differential form of Ergun equation for the pressure drop in packed beds:

$$\frac{dy}{dW} = -\frac{\alpha}{2y} (1 + \epsilon X) \frac{T}{T_0}$$

where  $\alpha$  is the pressure drop parameter and  $y = P/P_0$

**Useful Integrals in Reactor Design**

$$\int_0^x \frac{dx}{1-x} = \ln \frac{1}{1-x}$$

$$\int_{x_1}^{x_2} \frac{dx}{(1-x)^2} = \frac{1}{1-x_2} - \frac{1}{1-x_1}$$

$$\int_0^x \frac{dx}{(1-x)^2} = \frac{x}{1-x}$$

$$\int_0^x \frac{dx}{1+\epsilon x} = \frac{1}{\epsilon} \ln(1+\epsilon x)$$

$$\int_0^x \frac{(1+\epsilon x)dx}{1-x} = (1+\epsilon) \ln \frac{1}{1-x} - \epsilon x$$

$$\int_0^x \frac{(1+\epsilon x)dx}{(1-x)^2} = \frac{(1+\epsilon)x}{1-x} - \epsilon \ln \frac{1}{1-x}$$

$$\int_0^x \frac{(1+\epsilon x)^2 dx}{(1-x)^2} = 2\epsilon(1+\epsilon) \ln(1-x) + \epsilon^2 x + \frac{(1+\epsilon)^2 x}{1-x}$$