

國立中正大學

114 學年度碩士班招生考試

試題

[第3節]

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| 科目名稱 | 輸送現象與單元操作 |
| 系所組別 | 化學工程學系 |

—作答注意事項—

※作答前請先核對「試題」、「試卷」與「准考證」之系所組別、科目名稱是否相符。

1. 預備鈴響時即可入場，但至考試開始鈴響前，不得翻閱試題，並不得書寫、畫記、作答。
2. 考試開始鈴響時，即可開始作答；考試結束鈴響畢，應即停止作答。
3. 入場後於考試開始 40 分鐘內不得離場。
4. 全部答題均須在試卷（答案卷）作答區內完成。
5. 試卷作答限用藍色或黑色筆（含鉛筆）書寫。
6. 試題須隨試卷繳還。

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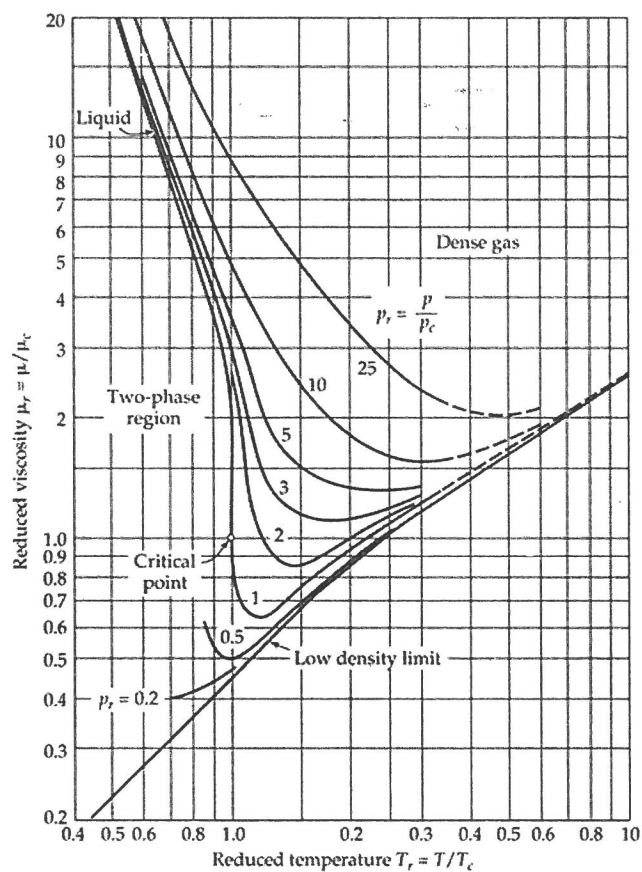
科目名稱：輸送現象與單元操作

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系所組別：化學工程學系

1. The chart below shows reduced viscosity as a function of reduced temperature.

- Explain why reduced properties are commonly used in engineering and scientific analyses.
(5 points)
- Discuss why the viscosity of liquids decreases, while the viscosity of gases increases, with an increase in temperature. (5 points)

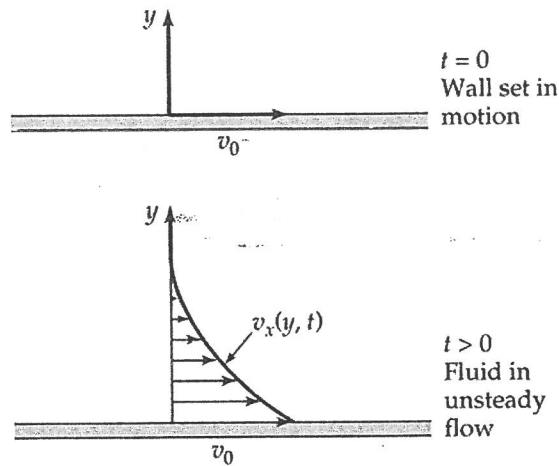


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2. A semi-infinite liquid with constant density (ρ) and viscosity (μ) is bounded below by a horizontal surface (the xz -plane). Initially, the liquid and the surface are stationary. Then at time $t = 0$, the solid surface begins to move in the positive x -direction with a constant velocity v_0 as shown in the following figure.



The equation of motion for the x -component of the velocity is

$$\frac{\partial v_x}{\partial t} = \frac{\mu}{\rho} \frac{\partial^2 v_x}{\partial y^2}$$

- Derive the equation of motion for the x -component of the velocity using a shell balance approach. **(10 points)**
- Non-dimensionalize the variable y . **(5 points)**
- Non-dimensionalize the partial differential equations. **(10 points)**
- Write down the IC and BCs for the dimensionless differential equation. **(5 points)**
- Solve the partial differential equation. **(10 points)**

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3. A double-pipe heat exchanger is used, where cold water enters the inner pipe at an inlet temperature of 30°C and a flow velocity of 2 m/s . Hot water enters the outer pipe at an inlet temperature of 70°C . The fluids flow in a countercurrent configuration. The inner pipe diameter is 0.05 m , and the outer pipe diameter is 0.1 m . The inner pipe wall thickness of 1 mm and pipe material thermal conductivity of $50\frac{\text{W}}{\text{m K}}$.

The physical properties of cold and hot water are the same: density $\rho = 1000\frac{\text{kg}}{\text{m}^3}$ dynamic viscosity

$\mu = 0.001\text{ Pa s}$, specific heat capacity $c_p = 4.2\frac{\text{kJ}}{\text{kg K}}$ and thermal conductivity $k = 0.6\frac{\text{W}}{\text{m K}}$. If the outlet

temperature of the cold water is 40°C and the flow rates of cold and hot water are identical, calculate the required length of the double-pipe heat exchanger. **(25 points)**

Hint: $Nu = 0.023Re^{0.8}Pr^n$

where $n = 0.4$ (hot side) or $n=0.3$ (cold side)

Validity: $0.6 \leq Pr \leq 160$; $Re > 10000$; $\frac{L}{D} > 10$

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4. In a chemical pipeline, corrosion occurs primarily due to the reaction between water and organic chlorides, producing ferric chloride (FeCl_3). When hydrochloric acid (HCl) is present, the corrosion rate is mainly controlled by the mass transfer rate of water to the pipe wall. Water (H_2O) is the limiting reactant, and corrosion occurs only when water reaches the pipe wall. The reaction at the pipe wall is extremely fast, and the water concentration at the wall (C_w) can be assumed to be zero. The primary reaction can be simplified as:



The known parameters are: Water concentration in the bulk (C_∞): 10 ppm(mass); Water diffusivity: $D_{AB}=1.5 \times 10^{-9} \text{ m}^2/\text{s}$; Flow velocity: $u = 0.2 \text{ m/s}$; Pipe diameter: $D = 0.05 \text{ m}$; Fluid density: $\rho = 1000 \text{ kg/m}^3$; Fluid viscosity: $\mu = 1.0 \times 10^{-3} \text{ kg/m-s}$; Molar mass of Fe: 55.845 g/mol; Molar mass of H_2O : 18 g/mol.

- i) Calculate mass transfer coefficient, k_c when $f = 0.22$. (10 points)
- ii) Calculate the corrosion rate of the pipe (Fe loss). (15 points)

Hint:

Coulburn-Chilton J-factor analogy:

$$J_M = \frac{f}{2} = J_H = \frac{Nu}{RePr^{\frac{1}{3}}} = J_D = \frac{Sh}{ReSc^{\frac{1}{3}}}$$

Mass transfer:

$$J = k_c \cdot A \cdot \Delta C$$

Where:

J: mass transfer rate

A: the pipe cross area,

ΔC : concentration driving force ($C_\infty - C_w$),

Kc: mass transfer coefficient