

注意：本試卷共有四頁。請考生答題前，務必閱讀每大項的注意事項說明！

第一部份：填充題（每題 5 分，共 50 分）

(1) Part I 有 10 題填充題，請自行製作答題區。規定如下：請於作答區第一頁「選擇題作答區」的下方製作第 1 - 10 格答題區。

|       |  |        |  |
|-------|--|--------|--|
| 第 1 格 |  | 第 6 格  |  |
| 第 2 格 |  | 第 7 格  |  |
| 第 3 格 |  | 第 8 格  |  |
| 第 4 格 |  | 第 9 格  |  |
| 第 5 格 |  | 第 10 格 |  |

(2) 每格答對得 5 分，答錯或未作答 0 分。

(3) 答題不要求任何計算過程，只依答案格內的答案對錯給分。

(4) 如果沒有特別指示，請將答案約分至最簡分數表示。

Part I：填充題（每格 5 分，共 50 分）

A. Branch of economics that deals with the behavior of individual economic units, i.e., consumers, firms, workers, and investors, as well as the markets that these units comprise is called (1).

B. (2) can show that amount by which the quantity of one input can be reduced when one extra unit of another input is used, so that output remains constant.

C. A good that has a negative income effect is called (3).

D. When an industry whose long-run supply curve is upward sloping, it is called (4).

(請翻次頁，繼續作答)

E. When a buyer and a seller possess different information about a transaction, this situation is called (5).

F. Suppose that two investments have the same three payoffs, but the probability associated with each payoff differs, as illustrated in the table below:

| Payoff | Probability (Investment A) | Probability (Investment B) |
|--------|----------------------------|----------------------------|
| \$300  | 0.10                       | 0.30                       |
| \$250  | 0.80                       | 0.40                       |
| \$200  | 0.10                       | 0.30                       |

The expected return of Investment A is (6) and the standard deviation of Investment B is (7). If Ms. Tsai has the utility function  $U = 10 \cdot I$ , where  $I$  denotes the payoff, she will choose investment (8). If Mr. Chen has the utility function  $U = 10 \cdot \sqrt{I}$ , he will choose investment (9). Again, if Mr. Ma has the utility function  $U = 10 \cdot I^2$ , he will choose investment (10).

(請翻次頁，繼續作答)

**第二部份：計算說明題 (50 分)**

- (1) Part II 有三題計算說明題，請標示清楚，並將所有過程、步驟交代清楚。
- (2) 如果沒有特別指示，請將答案約分至最簡分數表示。

**Part II：計算說明題**

1. Suppose that there are two goods (x and y) and a consumer. Let  $p_x$  and  $p_y$  be the prices of goods x and y, respectively, and let  $(q_x(p_x, p_y), q_y(p_x, p_y))$  be the consumer's consumption bundle for goods x and y when prices are  $(p_x, p_y)$ .

(1) Give a definition of weak axiom of revealed preference (WARP). (5 points)

(2) When prices are  $(p_x, p_y) = (2, 3)$ ,  $(q_x(2, 3), q_y(2, 3)) = (1, 2)$ , and when prices are  $(p_x, p_y) = (3, 2)$ ,  $(q_x(3, 2), q_y(3, 2)) = (2, 2)$ . Does this behavior violate WARP?

Why? (5 points)

(3) When prices are  $(p_x, p_y) = (1, 3)$ ,  $(q_x(1, 3), q_y(1, 3)) = (2, 2)$ , and when prices are  $(p_x, p_y) = (3, 1)$ ,  $(q_x(3, 1), q_y(3, 1)) = (3, 1)$ . Does this behavior violate WARP?

Why? (5 points)

(請翻次頁，繼續作答)

2. Suppose that a monopoly faces the inverse demand curve  $P(Q) = 2Q^{-0.5}$ , and the monopoly's cost function is  $C(Q) = 0.5 \cdot Q$ .
- (1) What are the monopoly's profit-maximizing price and quantity? What is the monopoly's resulting profit? What is the resulting consumer surplus? **(6 points)**
  - (2) Suppose that the government regulatory agency imposes a specific tax of  $\tau \geq 0$  per unit on the monopoly. What are the monopoly's profit-maximizing price and quantity? What is the resulting consumer surplus? What is the total tax revenue collected by the government? Moreover, what is the optimal tax rate  $\tau^* \geq 0$  which maximizes the sum of consumer surplus and total tax revenue received by the government? **(8 points)**
  - (3) Suppose that the government regulatory agency sets a price ceiling of  $p_R \geq 0$  per unit on the monopoly. What are the monopoly's profit-maximizing price and quantity? What is the resulting consumer surplus? Moreover, what is the optimal price ceiling  $p_R^* \geq 0$  which maximizes consumer surplus? **(6 points)**
3. Consider a duopoly model with differentiated products as follows. Firms 1 and 2 face the following demand functions:
- $$q_1(p_1, p_2) = 1 - p_1 + 0.5 \cdot p_2, \text{ and } q_2(p_1, p_2) = 1 - p_2 + 0.5 \cdot p_1, \text{ respectively.}$$
- Suppose that firm 1's cost function is  $c_1(q_1) = q_1$ , and firm 2's cost function is  $c_2(q_2) = q_2$ .
- (1) Give a definition of Nash equilibrium. **(5 points)**
  - (2) If firms 1 and 2 compete by setting prices simultaneously, then what are the Bertrand equilibrium quantities and prices? **(5 points)**
  - (3) If firms 1 and 2 compete by setting prices sequentially, that is firm 1 sets first and then firm 2 sets price after she observes firm 1's price, then what are the Stackelberg equilibrium quantities and prices? **(5 points)**