

※ 考生請注意：本試題可使用計算機

- (1) Draw the influence line for the internal force in member FG of the bridge truss when a unit load is moving on the floors 0-6. (25%)

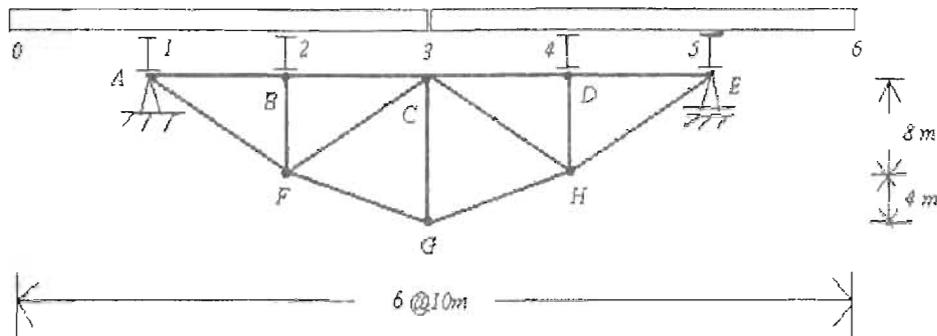


Fig. 1

- (2) Consider a loaded statically determinate beam as shown in Fig. 2 ($EI = \text{constant}$). The support a is a guide support, which means the rotation of point a is zero, and point a can freely move in the vertical direction (i.e., $\theta_a = 0$ and $\Delta_a \neq 0$). The joint b is a center hinge placed on a roller support. Determine the relative rotation at point b , which is $\Delta\theta_b$, and $\Delta\theta_b = \theta_{b^+} - \theta_{b^-}$, in which θ_{b^+} and θ_{b^-} denote the rotations at points b^+ and b^- , respectively,
- (a) using the conjugate-beam method, (13%)
 - (b) using the unit-load method (i.e., the virtual work method). (12%)

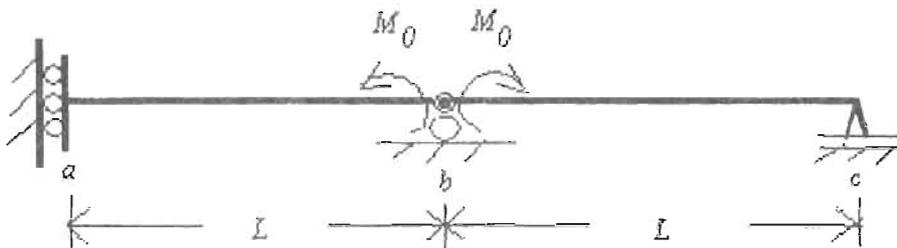


Fig. 2

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- (3) Consider a plane frame as shown in Fig. 3 ($EI=\text{constant}$), in which the joint C is a roller support and connected with an axial spring, of which the spring stiffness is k_s ($k_s = \frac{6EI}{L^3}$), and a moment of magnitude M_0 is applied at B . Determine the displacement of point C (Δ_C),
- (a) using the slope-deflection method, (13%)
 - (b) using the moment-distribution method. (12%)

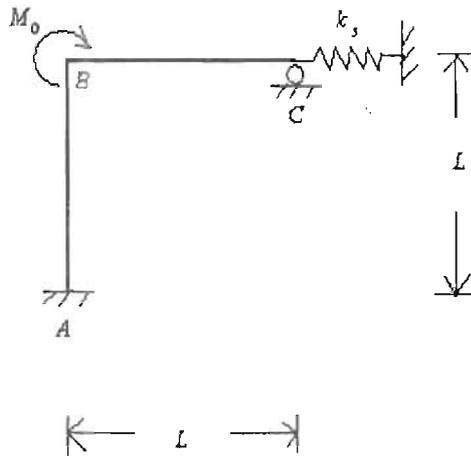


Fig. 3

- (4) Consider a truss structure as shown in Fig 4a, in which the length and axial rigidity of each member is L and AE , respectively, k_s denotes the spring coefficient ($k_s = AE/L$), and the numberings of the joints and members are shown in Fig 4b. Determine the horizontal and vertical displacements at point C (i.e., $(\Delta_C)_h$ and $(\Delta_C)_v$) using the matrix displacement method. It is noted that a standard solution procedure of this method is required. (25%)

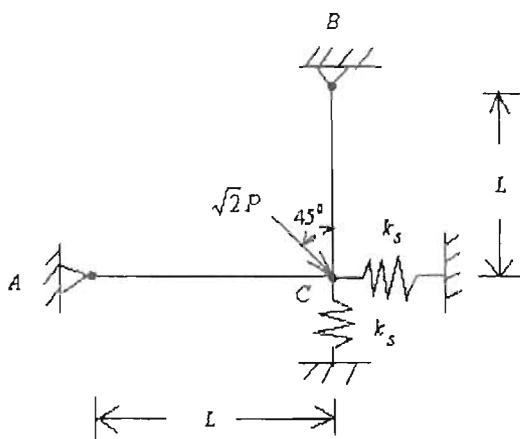


Fig. 4a

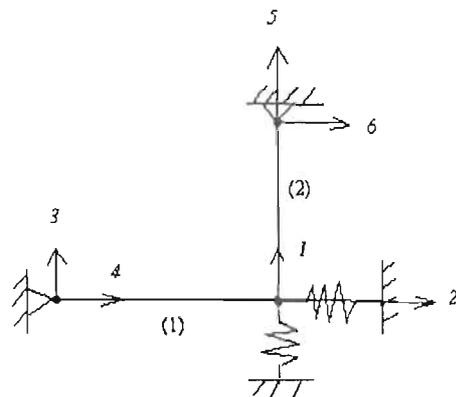


Fig. 4b