

國立臺北大學 103 學年度碩士班一般入學考試試題

系(所)組別：電機工程學系乙組(電腦工程組)

科目：資料結構

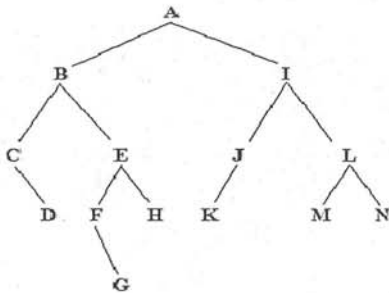
第 1 頁 共 2 頁

可 不可使用計算機

1. Let $F(n) = 2^6 + n^4 \log(n^3) + n^{1.6} + 100n^4$,
 $G(n) = 150n^4 + 10n^3 + 5n^2$,
 $H(n) = 150n^4 + 2n^2$.

Write down the best asymptotic ("big-O") characterization of the following functions:

- (a) (5 %) $F(n)$
 (b) (5 %) $G(n) + H(n)$
 (c) (5 %) $G(n) - H(n)$
 (d) (5 %) $G(n) \cdot H(n)$
2. Here is a small binary tree:



Write the order of the nodes visited in:

- (a) (5 %) A pre-order traversal
 (b) (5 %) A in-order traversal
 (c) (5 %) A post-order traversal
3. Consider a hash table of size 13 storing entries with integer keys. Suppose the hash function is $h(k) = k \bmod 13$. Insert, in the given order, entries with keys 10, 3, 6, 16, 17, 19 into the hash table using:

- (a) (5 %) Linear probing to resolve collisions. Show all the work and fill in the blanks below.

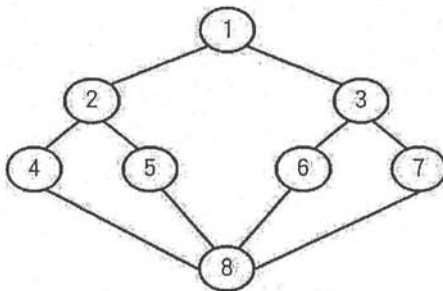
0	1	2	3	4	5	6	7	8	9	10	11	12
												-

- (b) (5 %) Double hashing to resolve collisions with secondary hash function $h(k) = 7 - (k \bmod 7)$

Show all the work and fill in the blanks below.

0	1	2	3	4	5	6	7	8	9	10	11	12
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4. Given the following graph:



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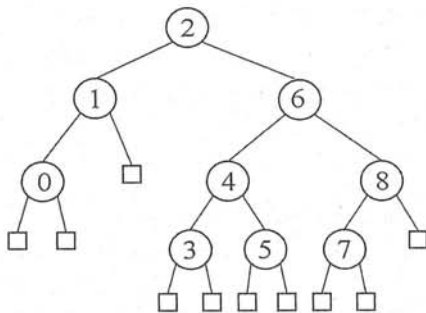
系(所)組別：電機工程學系乙組(電腦工程組)

科目：資料結構

第 2 頁 共 2 頁
可 不可使用計算機

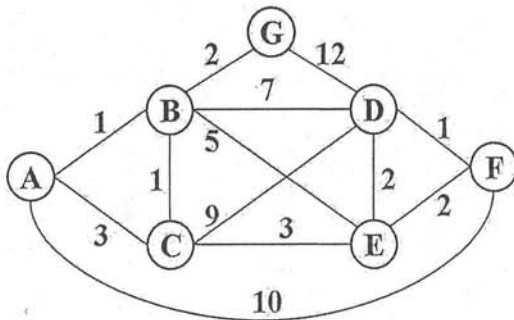
- (a) (10%) Perform a depth-first traversal of the graph shown above, starting with vertex 1. List the vertices in the order in which they are visited. Draw the depth-first search tree which results from running depth-first search on the graph.
- (b) (10%) Perform a breadth-first traversal of the graph shown above, starting with vertex 1. List the vertices in the order in which they are visited. Draw the breadth-first search tree which results from running breadth-first search on the graph.

5. Consider the following AVL tree.



- (a) (10%) Insert an additional key value 6 into the tree and re-balance if needed. Draw the final tree and all intermediate trees that you need.
- (b) (10%) Remove a key value 1 from the original tree and re-balance if needed. Draw the final tree and all intermediate trees that you need.

6. Consider the following undirected, weighted graph:



- (a) (10%) Step through Dijkstra's algorithm to calculate the single-source shortest paths from node A to every other nodes.
- (b) (5%) Indicate the lowest-cost path from node A to node F.